# Computer Vision Applications for the Gemini Planet Imager

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May 22, 2013

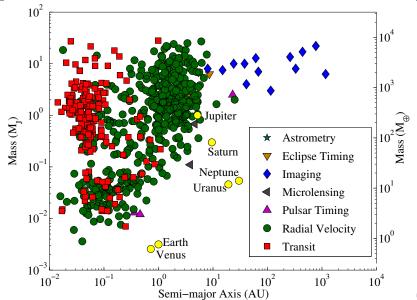
This work performed under the auspices of the U.S. Department of Energy by Lawrence Livermore National

Laboratory under Contract DE-AC52-07NA27344. LLNL-PRES-636972



#### Motivation

Retrieved from http://exoplanetarchive.ipac.caltech.edu on 03.28.13







The brightest planets are still one million times fainter than their host stars

Commercial CCDs can achieve contrasts of 2048:1 The human eye can achieve 16384:1



### ...So we block the star

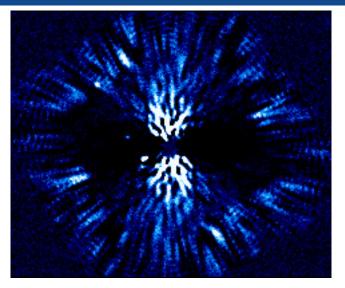
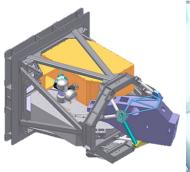
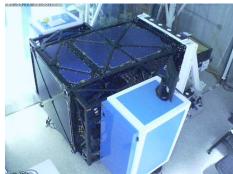


Figure: Simulated, post-processed GPI data set.



## The Gemini Planet Imager

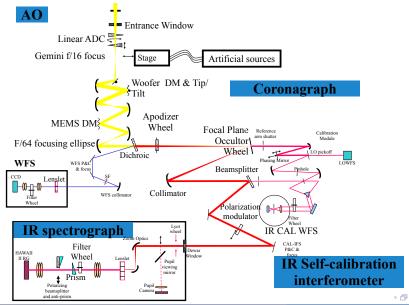


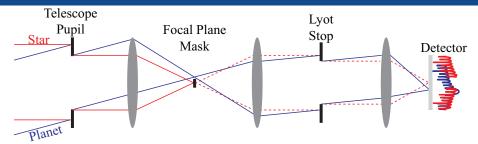


GPI Model.

GPI as-built.

### The Gemini Planet Imager





 $Figure:\ Lyot\ coronagraph.\ Based\ on\ [Sivaramakrishnan\ et\ al.,\ 2001].$ 

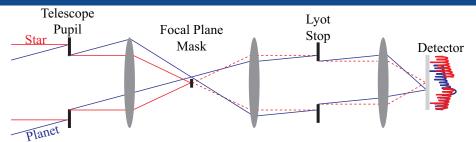
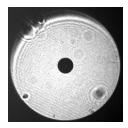


Figure: Lyot coronagraph. Based on [Sivaramakrishnan et al., 2001].



Pupil



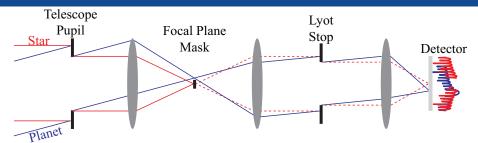
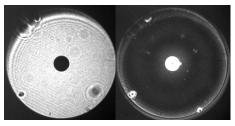


Figure: Lyot coronagraph. Based on [Sivaramakrishnan et al., 2001].







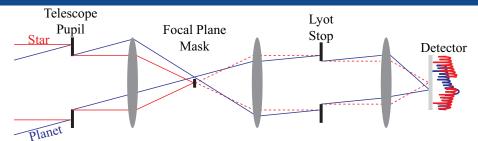
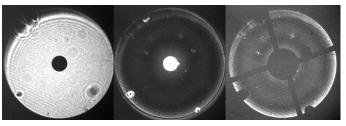
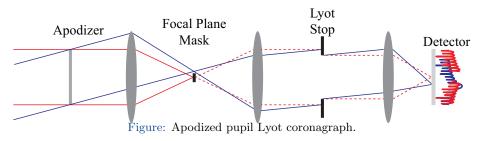


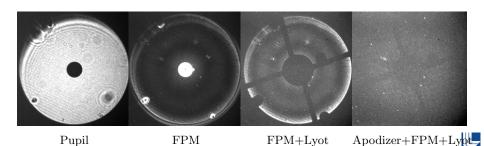
Figure: Lyot coronagraph. Based on [Sivaramakrishnan et al., 2001].



Pupil FPM FPM+Lyot

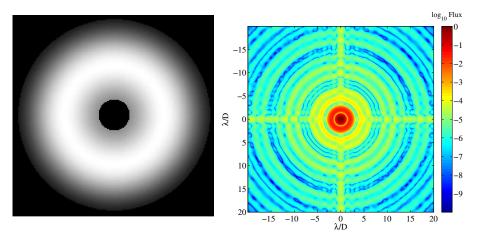






## Apodized Pupil Lyot Coronagraphy

Pre-apodize to remove residual diffraction:



Apodizer function

Point Spread Function

See: "Apodized Pupil Lyot Coronagraphs for Arbitrary Telescope Apertures" [Soummer, 2005]

## System Alignment

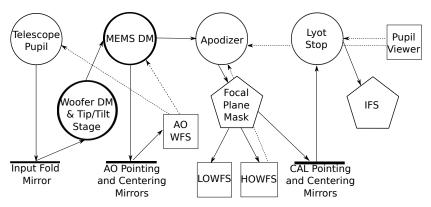


Figure: A podizer and Lyot Stop must be aligned to MEMS DM to within 0.5% and 1% of their pupil sizes, respectively.

# Finding Pupil Centers - Elliptical Hough Transform

[Ballard, 1981, Xie and Ji, 2002]

- Want to extract regular features (ellipses) formed by the central obscurations of apodizers and Lyot stops
- Use a generalized Hough transform with ellipse shape class:

$$\frac{(x-x_0)^2}{a^2} + \frac{(y-y_0)^2}{b^2} = 1$$

- Define candidate pixels based on intensity variations
- Define accumulator array for the semi-minor axis

$$b = \sqrt{\frac{a^2 \left[ (2ad)^2 - (a^2 + d^2 - f^2)^2 \right]}{a^4 - (a^2 + d^2 - f^2)^2}}$$
$$d \triangleq \sqrt{(x_p - x_0)^2 + (y_p - y_0)^2}$$
$$f \triangleq \sqrt{(x_p - x_2)^2 + (y_p - y_2)^2}$$



### Finding Pupil Centers

[Savransky et al., 2013]

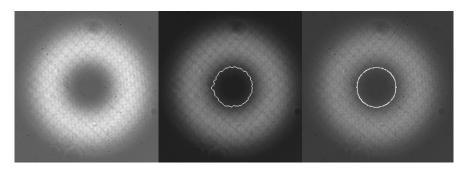


Figure: Pupil viewer images of the apodizer only (no FPM or Lyot stop in light path). Left: Dark subtracted pupil viewer image. Center: Median filtered image with the candidate pixels for the inner annulus of the apodizer overlaid. Right: Original image with best solution from Hough transform overlaid.



## Aligning to the MEMS Plane

[Savransky et al., 2013]

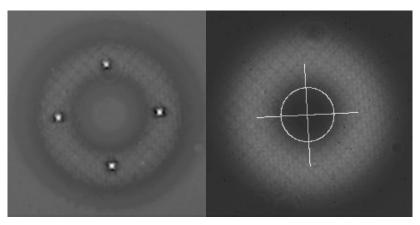
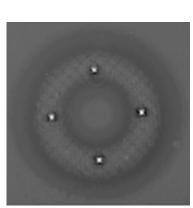
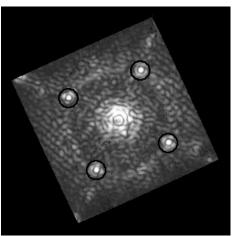


Figure: Left: Difference image between poked and flat DM states. Right: Original image with best solution from Hough transform and intersection of MEMS pokes overlaid.

# Finding Geometric Shapes



DM pokes on pupil viewer



Astrometric calibration spots in IFS image



## Finding Squares

- Assumptions:
  - Four points in the image are in the shape of a perfect square
  - Points are not the brightest but not the dimmest in the image
  - Square orientation is arbitrary with respect to image axes
  - Square size is arbitrary
- Procedure:
  - Select & remove brightest point in image
  - Test against all other candidate points, looking for squares:

$$\{d_k\}_{k=1}^6 = \{\|\mathbf{r}_i - \mathbf{r}_j\| : i, j \in \{4C_2\}\}$$

$$d_1 = d_2 = d_3 = d_4 = d_5/\sqrt{2} = d_6/\sqrt{2}$$

• Breadth-first search over candidate points - grows by (n+1)/(n-3) for each new point.



# Finding Squares (Better)

- What if we could prune the tree as we search it?
- Every square contains a right triangle:

$$\{d'_k\}_{k=1}^3 = \{\|\mathbf{r}_i - \mathbf{r}_j\| : i, j \in \{{}_{3}C_2\}\}$$
  
$$d'_1 = d'_2 = d'_3/\sqrt{2}$$

- Maintain sublist of candidates forming right triangles
- Test new candidates against sublist rather than against all candidates



## Finding Squares In Action

[Savransky et al., 2013]



## Finding Squares In Action

[Savransky et al., 2013]

- Final satellite spot was added to candidate list on the 38th iteration
- 73815 possible combinations of four spots, or 7770 possible combinations of three spots from previous iteration
- Only 28 subsets (0.36%) had been identified as possible candidates for testing
- Total execution time was only 1.45 times longer than in previous case



### Conclusions

- High-performance optical systems will continuously become more automated with stricter alignment tolerances and error budgets
- Simple techniques from machine learning and computer vision can be enormously helpful in automating basic alignment tasks and ensuring high repeatability
- Algorithms presented here are easy to code, and execute well on normal hardware
- Geometric feature identification is applicable to a variety of optical and laser systems and tasks



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